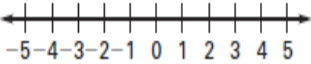
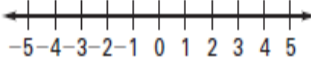


1.1	Real Numbers and Number Operations
Objectives	<ol style="list-style-type: none">1. Use a number line to graph and order real numbers.2. Identify properties of real numbers and use real numbers in application problems.
Key Terms	Origin Graph Coordinate Opposite Reciprocal Unit Analysis
Subsets of the Real Numbers	Whole Numbers Integers Rational Numbers Irrational Numbers

Graphing Numbers on a Number Line	<div style="display: flex; justify-content: space-around; align-items: flex-start;"> <div style="text-align: center;"> $\frac{1}{2}, 2, \frac{13}{4}, -3, -5$  </div> <div style="text-align: center;"> $0, \frac{-12}{5}, -\sqrt{12}, 0.3, -1.5$  </div> </div> <p>*Once the numbers are graphed, then comparisons can be made between the numbers or the numbers can be written in increasing order.</p>																		
Properties of Addition and Subtraction	<p>Let a, b, and c be real numbers</p> <table border="0" style="width: 100%; border-collapse: collapse;"> <thead> <tr> <th style="text-align: left; width: 20%;">Property</th> <th style="text-align: left; width: 40%;">Addition</th> <th style="text-align: left; width: 40%;">Multiplication</th> </tr> </thead> <tbody> <tr> <td>CLOSURE</td> <td>a + b is a real number.</td> <td>ab is a real number.</td> </tr> <tr> <td>COMMUTATIVE</td> <td>a + b = b + a</td> <td>ab = ba</td> </tr> <tr> <td>ASSOCIATIVE</td> <td>(a + b) + c = a + (b + c)</td> <td>(ab)c = a(bc)</td> </tr> <tr> <td>IDENTITY</td> <td>a + 0 = a, 0 + a = a</td> <td>a · 1 = a, 1 · a = a</td> </tr> <tr> <td>INVERSE</td> <td>a + (-a) = 0</td> <td>a · $\frac{1}{a}$ = 1, a ≠ 0</td> </tr> </tbody> </table> <p>The following property involves both addition and multiplication.</p> <p>DISTRIBUTIVE a(b + c) = ab + ac</p>	Property	Addition	Multiplication	CLOSURE	a + b is a real number.	ab is a real number.	COMMUTATIVE	a + b = b + a	ab = ba	ASSOCIATIVE	(a + b) + c = a + (b + c)	(ab)c = a(bc)	IDENTITY	a + 0 = a, 0 + a = a	a · 1 = a, 1 · a = a	INVERSE	a + (-a) = 0	a · $\frac{1}{a}$ = 1, a ≠ 0
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Identify the Property Shown	<table border="0" style="width: 100%; border-collapse: collapse;"> <tr> <td style="width: 33%; text-align: center;">$-9 + 9 = 0$</td> <td style="width: 33%; text-align: center;">$(7 + 3) + 5 = 7 + (3 + 5)$</td> <td style="width: 33%; text-align: center;">$3(4 + 8) = 3 \cdot 4 + 3 \cdot 8$</td> </tr> </table>	$-9 + 9 = 0$	$(7 + 3) + 5 = 7 + (3 + 5)$	$3(4 + 8) = 3 \cdot 4 + 3 \cdot 8$															
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Unit Analysis

Change 80 feet/second to miles/hour.

$$\frac{80 \text{ feet}}{1 \text{ second}} \cdot \frac{\text{miles}}{\text{feet}} \cdot \frac{\text{hour}}{\text{minutes}} \cdot \frac{\text{minutes}}{\text{hour}} = \frac{\text{miles}}{\text{hour}}$$

You are exchanging \$250 for pesos. The exchange rate is 8.5 pesos per dollar. How many pesos will you receive?

1.2	Algebraic Expressions and Models
Objectives	<ol style="list-style-type: none">1. Evaluate algebraic expressions.2. Simplify algebraic expressions by combining like terms.
Key Terms	Numerical expression Base Exponent Order of Operations Variable Like Terms
Evaluating Powers	<i>Base</i>^{<i>Exponent</i>} = <i>Power</i> The base is used as a factor the exponent number of times. -5^4 $(-5)^4$ 2^3

Order of Operations	P E M or D A or S
Simplify the Expression	$3 + 4(8 + 5)^2$ $-5^2 - 8(1 - (-3))^3$
Simplifying Algebraic Expressions	<p style="text-align: center;">$5x - 3x + 4$</p> <ul style="list-style-type: none"> • There are ____ terms in this expression. (Connected by + or -) • The coefficients are _____, _____, and _____. (The numbers in front of the variables) • Like terms are _____. • The constant term(s) is (are): _____ <p>Simplify:</p> $4(x + 2) - 2(x + 2)$ $-9x - x - 7x^2$
You have \$40 and are buying books that cost \$12 each. Write an expression that shows how much money you have left after buying n books.	

1.3	Solving Linear Equations
Objectives	<ol style="list-style-type: none"> 1. Solve linear equations. 2. Use linear equations to solve real life problems.
Key Terms	<p>Equation</p> <p>Linear Equation</p> <p>Solution</p>
Transformations that Produce Equivalent Equations	<p><i>Addition Property of Equality</i> Add the same number to both sides. If $a = b$, then _____.</p> <p><i>Subtraction Property of Equality</i> Subtract the same number from both sides. If $a = b$, then _____.</p> <p><i>Multiplication Property of Equality</i> Multiply both sides by the same nonzero number. If $a = b$ and $c \neq 0$, then _____.</p> <p><i>Division Property of Equality</i> Divide both sides by the same nonzero number. If $a = b$ and $c \neq 0$, then _____.</p>
Solve the Equation.	$\frac{2}{9}x + 8 = 16$ $12x - 3 = 4x + 21$

$$5(x - 2) = -4(2x + 7) + x$$

$$\frac{2}{3}x + \frac{1}{5} = 2x - \frac{3}{10}$$

A waitress has a base salary of \$3 per hour and makes \$15 per hour in tips. How many hours must she work to make \$135?

Verbal Model

Algebraic Model

Solve

A car salesperson's base salary is \$25,000. She earns 5% commission on sales. How much must she sell to earn \$70,000 total?

1.5	Problem Solving Using Algebraic Model
Objectives	<ol style="list-style-type: none"> 1. Use a general problem solving plan to solve real life problems. 2. Use other problem solving strategies to help solve real life problems.
Key Terms	<p>Verbal Model</p> <p>Algebraic Model</p>
General Problem Solving Plan	Write a verbal model → Assign Labels → Write an algebraic model → Solve the algebraic model → Answer the question
Corporate average fuel economy standards require auto manufacturers to produce cars that the average fuel efficiency between all of its car models is at least 27.5 mpg. Your new car travels about 358 miles on 11 gallons of gas. Is your car above or below the standard?	

You used all of a \$50 gift certificate watching movies at the local theatre. You want to know how much you spent watching evening showings. Afternoon showings are \$4 and evening showings are \$6. You have seen a total of 10 movies.

A car and a truck are 245 miles apart travelling towards each other until they meet. The car averages 65 mph and the truck averages 55 mph. After how long (time) do they meet? How many miles have each travelled?

The table gives the heights to the top of the first few layers of bricks in a wall. Determine the height of 18 layers.

Layer	Foundation	1	2	3	4
Height to top of layer (in.)	2	7	12	17	22

1.6	Solving Linear Inequalities
Objectives	<ol style="list-style-type: none"> 1. Solve simple inequalities. 2. Solve compound inequalities.
Key Terms	<p>Linear Inequality</p> <p>Solution</p> <p>Graph of an inequality</p> <p>Compound Inequality</p>
Transformations that Produce Equivalent Inequalities	<ul style="list-style-type: none"> • Add the same number to both sides. • Subtract the same number from both sides. • Multiply both sides by the same positive number. • Divide both sides by the same positive number. • Multiply both sides by the same NEGATIVE number and REVERSE the inequality. • Divide both sides by the same NEGATIVE number and REVERSE the inequality.
Graphing Inequalities	<ul style="list-style-type: none"> • Use an OPEN DOT for $>$ or $<$. • Use a CLOSED DOT for \geq or \leq. • Shade the number line to show all solutions of the inequality.
Solve and Graph	$5x + 7 > -3$ $-2x + 5 \leq -1$

$$2x - 2 \geq 3x + 1$$

$$9 - 6x < 9 + 2x$$

A basketball player's average point total A is the last 5 games is $\frac{x+123}{5}$ where x is his score in the fifth game. Describe the scores x that will give him an average of at least 30 points.

Compound Inequalities "AND" Examples Solve and Graph.

$$-9 < 2x - 3 < 7$$

$$-2 < -2n + 1 \leq 7$$

Compound Inequalities "OR" Example Solve and Graph.

$$2x + 4 < -6 \text{ OR } 3x \geq 21$$

Under ideal conditions water will remain a liquid when the temperature is $32^\circ < F^\circ < 212^\circ$.

Write the inequality in degrees Celsius.

$$F = \frac{9}{5} C + 32$$

1.7	Solving Absolute Value Equations and Inequalities
Objectives	<ol style="list-style-type: none"> 1. Solve absolute value equations and inequalities. 2. Use absolute value equations and inequalities to solve real life problems.
Key Terms	Absolute Value
Solving an Absolute Value Equation	<p>The absolute value equation $ax + b = c$ where $c \neq 0$ is equivalent to the compound statement:</p> <p>_____ OR _____</p> <p>Solve: $4x + 2 = 6$</p> <p>_____ OR _____</p> <p>Solve: $6x - 3 = 15$</p> <p>_____ OR _____</p>
Solving an Absolute Value Inequality Less Than →AND	<p>For less than inequalities: $ax + b < c$ where $c > 0$, means that $ax + b$ is between _____ AND _____.</p> <p>This is equivalent to _____.</p> <p>Solve: $2x + 3 \leq 3$</p>

	Solve: $ 4x - 9 < 21$
Solving an Absolute Value Inequality Greater Than →OR	<p>For greater than inequalities: $ax + b > c$ where $c > 0$, means that $ax + b$ is beyond _____ AND _____.</p> <p>This is equivalent to _____ OR _____</p> <p>Solve: $2x + 7 > 3$</p> <p>_____ OR _____</p> <p>Solve: $3x - 2 \geq 18$</p> <p>_____ OR _____</p>
A city ordinance state that pools must be enclosed by a fence that is from 3 feet to 6 feet high. Write an absolute value inequality describing the fences that don't meet this ordinance.	$ Actual Value - Ideal Value > Tolerance$

* $|Actual Value - Ideal Value| < Tolerance$ if it's between the values.